

Year 6 Calculation Policy

- [Addition – Mental Strategies](#)
- [Addition – Written Strategies](#)
- [Addition – Resources and Vocabulary](#)
- [Subtraction – Mental Strategies](#)
- [Subtraction – Written Strategies](#)
- [Subtraction – Resources and Vocabulary](#)
- [Multiplication – Mental Strategies](#)
- [Multiplication – Written Strategies](#)
- [Multiplication – Resources and Vocabulary](#)
- [Division – Mental Strategies](#)
- [Division – Written Strategies](#)
- [Division – Resources and Vocabulary](#)



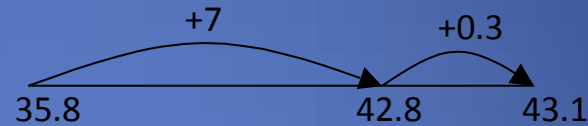
Alderman Richard Hallam Primary School

Addition – Mental Strategies and Jottings

NB. These should be done with increasingly large numbers e.g. $12462 + 2300$ and numbers involving decimals

- Partition the smaller number into hundreds, tens, units and decimals and recombine e.g.

$$\begin{aligned} 35.8 + 7.3 &= 35.8 + 7 + 0.3 \\ &= 42.8 + 0.3 \\ &= 43.1 \end{aligned}$$



- Add the nearest multiple of 10, 100 or 1000 then adjust e.g.

$$\begin{aligned} 458 + 79 &= 458 + 80 - 1 \\ 2998 + 47 &= 3000 + 47 - 2 \end{aligned}$$

- Find near doubles and adjust as needed e.g.

$$72 + 68 = (70 + 2) + (70 - 2)$$

Use of the bar model with multi-step problems

I cut 3 strips of ribbon from a 2m length, the first piece is 65.9 cm, the second is 756 mm, the third is 0.156 m. How much ribbon is left?

2m			
?			?
65.9cm	756mm = 75.6 cm	0.156m = 15.6cm	



Addition – Mental Strategies and Jottings

The Bar model

Aggregation



Augmentation



Addition – Written Strategies

- Short column addition

Extend to numbers with any number of digits and mixed amounts of decimal places

$$\begin{array}{r} 3247.7 \\ + 248.42 \\ \hline 1496.12 \\ 11 \end{array}$$

Place value counters can continue to be used to support confident calculation with *decimals* and numbers with more than 4 *digits* (see Year 4 Calculation Policy).

Revert to expanded methods (see Year 4) if the children experience any difficulty.



Addition – Vocabulary and Resources

Resources:

Place value counters

Base 10

Vocabulary:

commutative,
associative and
distributive laws,
exchanging,
algorithm,
Brackets, order of
operations,
BODMAS,
aggregation,
augmentation

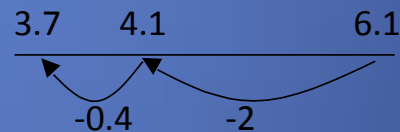


Subtraction – Mental Strategies and Jottings

NB. These should be done with increasingly large numbers e.g. 12462 + 2300 and numbers involving decimals

- Find a difference by counting up e.g. $754 - 286 = 468$
To make this method more efficient, the number of steps should be reduced to a minimum through children knowing:
 - Complements to 1, involving decimals to two decimal places (0.16 + 0.84)*
 - Complements to 10, 100 and 1000.*
- Subtract the nearest multiple of 10, 100 or 1000 and then adjust

$$\begin{aligned}
 \text{e.g. } 928 - 203 &= (928 - 200) - 3 \\
 &= 728 - 3 \\
 &= 725
 \end{aligned}$$



Use of the bar model for multi-step problems

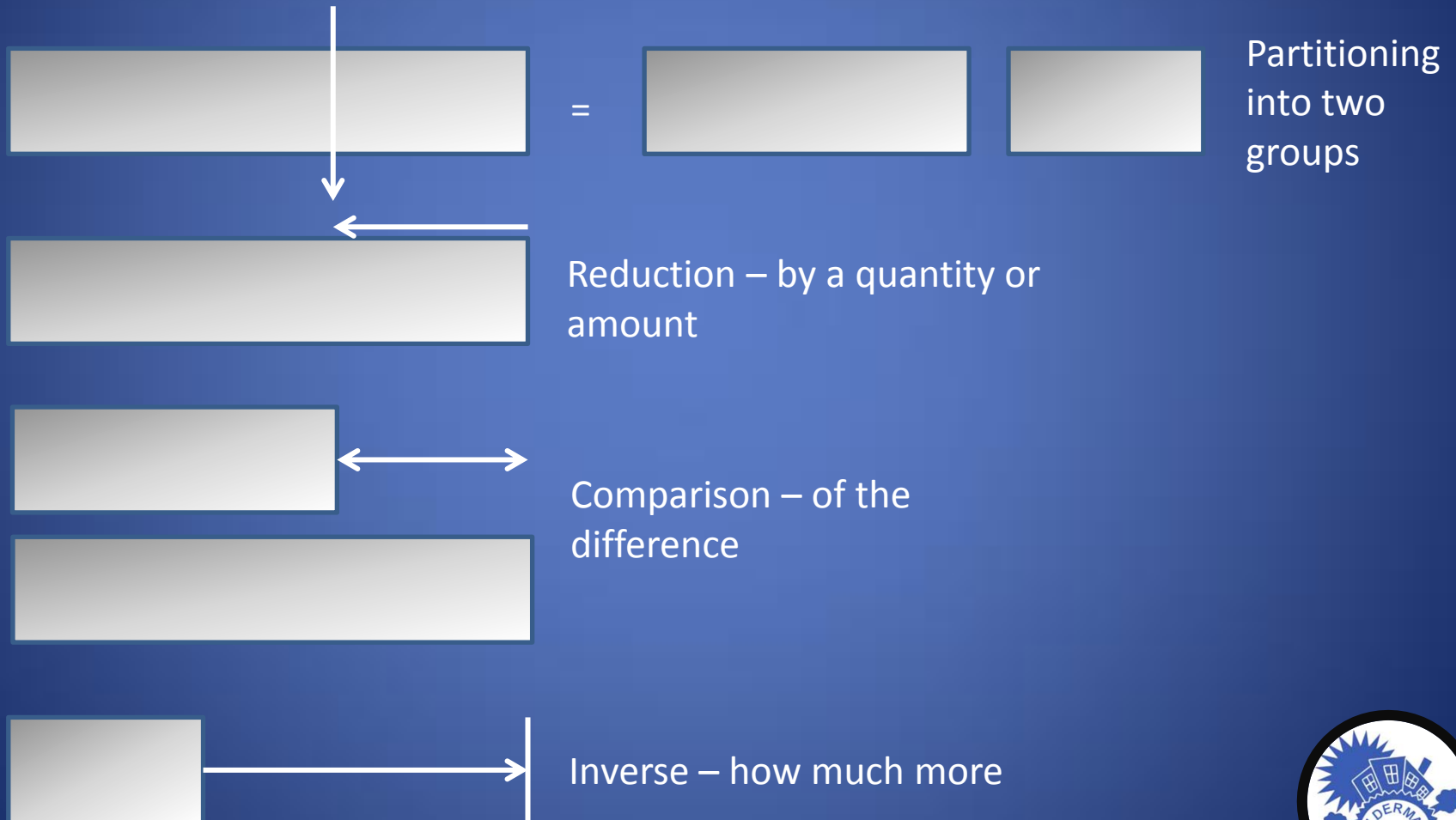
I sold my house for £349 950. I bought a cheaper house costing £225 500 and a posh new speed boat! I managed to keep £35 000 for my savings, how much did I spent on my new boat?

£349,950		
£225,500	Speed boat?	£35,000



Subtraction – Mental Strategies and Jottings

The Bar model



Subtraction – Written Strategies

- Short column subtraction
(use of place value counters for support)

$$\begin{array}{r} 8 \ 12 \ 1 \\ 932 \\ - 457 \\ \hline 475 \end{array}$$

$$\begin{array}{r} 2 \ 17 \\ 38.2 \\ - 28.7 \\ \hline 29.5 \end{array}$$



Subtraction – Vocabulary and Resources

Resources:

Place value counters

Vocabulary:

Deduct, reduce by, remove, remains, left over, loss, discount, efficient, exchanging, commutative, associative and distributive laws, expanded method, algorithm, Brackets, order of operations, BODMAS, aggregation, augmentation



Multiplication – Mental Strategies and Jottings

- Children must know what prime, square, cube and composite (non-prime) numbers are. They need to know how to find common multiples and factors.
- Partitioning
e.g. $87 \times 6 = (80 \times 6) + (7 \times 6) = 480 + 42 = 522$

Use of the bar model with problem solving

I save £1595 per month so that I can buy myself a car that will cost £15995, how many months will it take me to save up?



Multiplication – Mental Strategies and Jottings

The Bar model

Repeated Aggregation



Scaling



Multiplication– Written Strategies

- Short column multiplication when multiplying by one digit
(expanded method may be used where needed – see Year 4 Calculation Policy)

$$\begin{array}{r} 24 \\ \times 6 \\ \hline 144 \\ 2 \end{array}$$

$$\begin{array}{r} 342 \\ \times 5 \\ \hline 1710 \\ 21 \end{array}$$

- Long column multiplication when multiplying by two digits

$$\begin{array}{r} 124 \\ \times 26 \\ \hline 7424 \quad \text{Units x top number} \\ 2480 \quad \text{Tens x top number} \\ \hline 3224 \\ 11 \end{array}$$



Multiplication– Vocabulary and Resources

Resources:

Place value counters

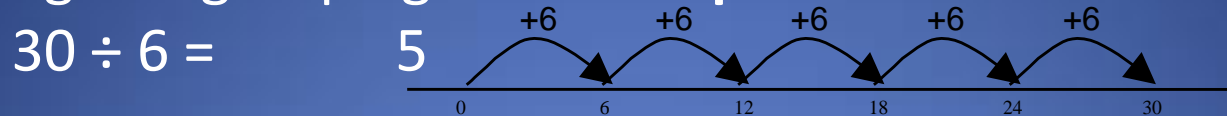
Vocabulary:

- Product, multiplier, multiplicand, scaling, factors, ratio, non unit fractions, efficient, exchanging, commutative, associative and distributive laws, algorithm, brackets, order of operations, BODMAS, aggregation, LCM, prime/ square and cube numbers, powers



Division – Mental Strategies and Jottings

- Sharing and grouping to count up



- Larger groupings of known number facts including remainders *expressed as fractions*



Continue to develop confidence and understanding with mental division, with increasingly larger numbers, including up to 4 digits (and more than if applicable) and decimal numbers.

Children could use the bar model, number line, informal jottings to support their mental computation

$$1 \div \square = 0.2$$

$$1 \div \square = 0.125$$

$$1 \div 4 = 0.25$$

$$1 \div \square = 4$$

For every 2l water there is 60 ml of squash, if I use 270ml of squash how much water have I used?

Water : Squash

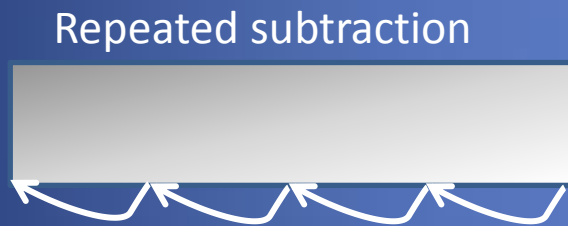
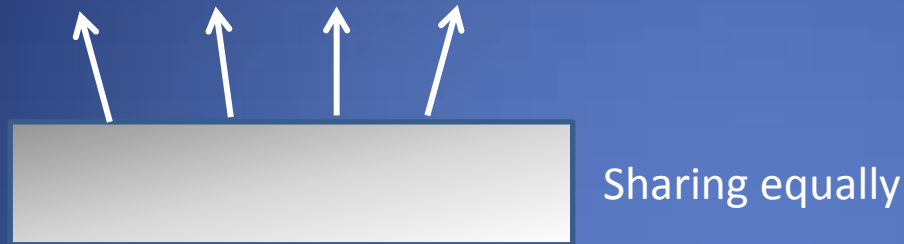
2 l : 60 ml

? : 270 ml



Division – Mental Strategies and Jottings

The Bar model



Ratio



Division – Written Strategies

- Bus stop method – short method

e.g. $432 \div 5 =$

$$5 \overline{) 432.0} \begin{array}{l} 086.4 \\ \underline{4} \\ 3 \\ \underline{3} \\ 2 \\ \underline{2} \\ 0 \end{array}$$

$$496 \div 11 = 45 \text{ r.}1$$

$$11 \overline{) 496} \begin{array}{l} 45 \\ \underline{44} \\ 56 \\ \underline{55} \\ 1 \end{array}$$

NB. Pupils to interpret non-integer answers in different ways depending on the context – as remainders, fractions, decimals or through rounding where appropriate.

- Bus stop method – long method

e.g.

432 ÷ 15 becomes

$$15 \overline{) 432.0} \begin{array}{l} 28.8 \\ \underline{30} \\ 132 \\ \underline{120} \\ 120 \\ \underline{120} \\ 0 \end{array}$$



$$972 \div 36 =$$

$$36 \overline{) 972} \begin{array}{l} 27 \\ \underline{-720} \\ 252 \\ \underline{-252} \\ 0 \end{array} \begin{array}{l} \\ (20 \times 36) \\ (7 \times 36) \\ (=27) \end{array}$$

Answer: 28.8



Division – Vocabulary and Resources

Resources:

Place value counters

Vocabulary:

- Dividend, divisor, quotient, remainder, left over, rules of divisibility, divisible by, factors, multiple, ratio, non unit fractions, efficient, exchanging, commutative, associative and distributive laws, algorithm, Brackets, order of operations, BODMAS, LCM, prime/ square and cube numbers, augmentation

